

## PLANE FIGURES: LINES AND ANGLES

Plane figures in regards to lines and angles refer to the coordinate plane and the various lines and angles within the coordinate plane. Lines in a coordinate plane can be **parallel or perpendicular**.

Angles in a coordinate plane can be **acute, obtuse, right or straight**.

**Angle bisectors and congruent angles** can also be found given various information.

**Adjacent, complementary, supplementary and vertical angles** can all be identified in the coordinate plane. Polygons can be measured to find their angles or missing angles. The **sum of the interior angles** of a polygon can found using a simple formula

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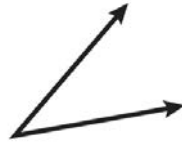


PREVIEW

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- An angle is called an **acute angle** if it is less than  $90^\circ$ .
- An angle is an **obtuse angle** if it is greater than  $90^\circ$ .
- A **right angle** is exactly  $90^\circ$ .
- A **straight angle** is exactly  $180^\circ$ .

Triangles can be classified based on the measure of the angles within it. An acute triangle has all angles less than  $90^\circ$ , an obtuse triangle has one angle that is over  $90^\circ$  and a right triangle has one right angle. For example, what type of angle is shown? What type of triangle would be made from this angle?



The angle is an acute angle because it is less than  $90^\circ$ . If the arrowheads were connected, the triangle made would be an acute triangle. If the angle above was measured to be  $30^\circ$  and a line was drawn to cut the angle in half, the line would be called the **angle bisector**. The two angles formed by the **angle bisector** would be  $15^\circ$  each because together the angles would have to equal  $30^\circ$ .

## Intersecting Lines Make Angles

Lines can also be drawn to make angles

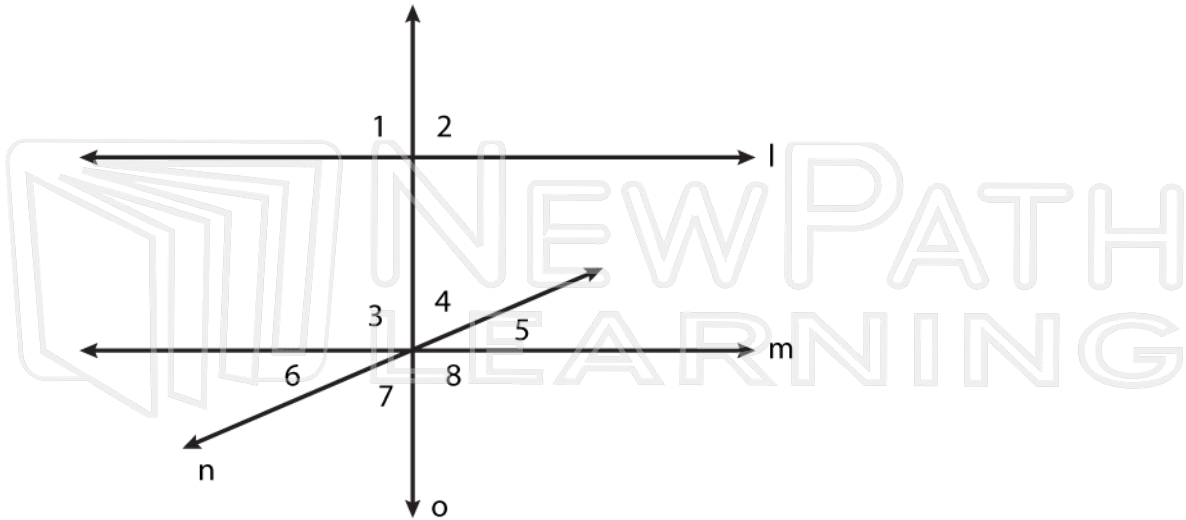


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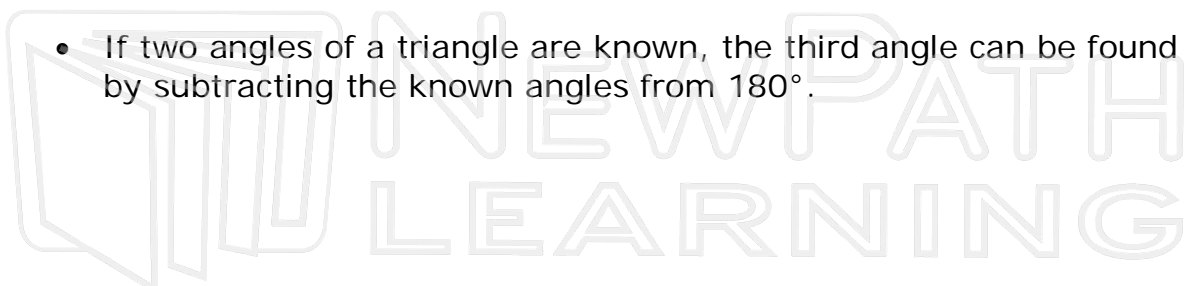
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$(n - 2) \cdot 180^\circ$ .

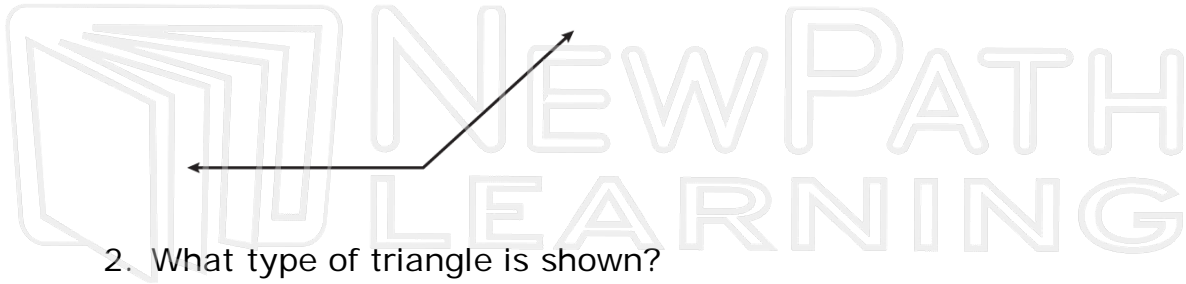
- If given 3 angles of a quadrilateral, the fourth angle can be found by subtracting the known angles from  $360^\circ$ .

- If two angles of a triangle are known, the third angle can be found by subtracting the known angles from  $180^\circ$ .



## Try This!

1. What type of angle is shown?



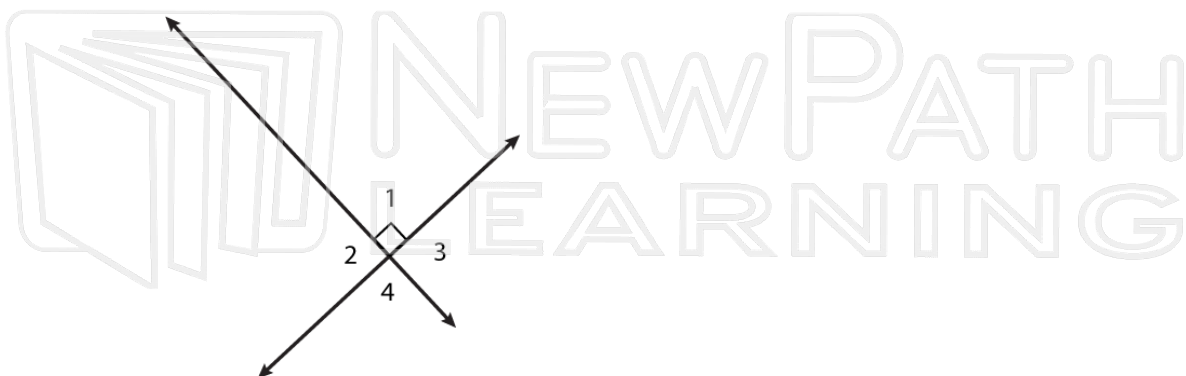
2. What type of triangle is shown?



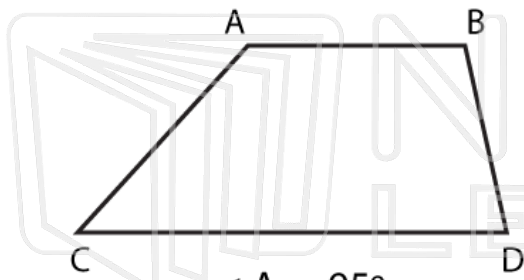
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5. For the diagram shown, name a pair of vertical, adjacent and supplementary angles.



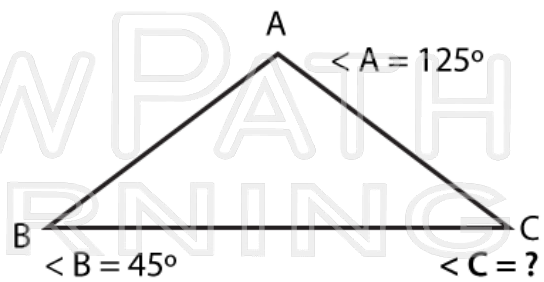
6. What is the missing angle for the quadrilateral and triangle shown?



$$\angle A = 95^\circ$$

$$\angle B = 98^\circ$$

$$\angle C = 65^\circ$$



$$\angle A = 125^\circ$$

$$\angle B = 45^\circ$$

$$\angle C = ?$$



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